

Chapter:- Ratio Analysis

⇒ It means relationship between two or more financial data for the purpose of decision making.

$$\text{Net profit Ratio} = \frac{\text{Net Profit} \times 100}{\text{Sales}}$$

Statement of Capital Employed

Equity Capital	xx
+ All Reserve & Surplus	xx
(-) P/L AC (Dr. bal.)	(xx)
(-) Miscellaneous Expenditure	(xx)
	xx
Equity shareholder's Fund	xx
+ Preference share Capital	xx
	xx
Shareholder's Fund / Networth / Proprietary Fund	xx
+ Long-term Debt & borrowing (Debture, Bonds, Bank loan etc)	xx
	xx
Capital Available	xx
Less: Non-trade Investment	(xx)
	xx
Total Capital Employed	xx

Statement of Profit

Sales	xx
Less:- COGS	
- material	(xx)
- Labour cost	(xx)
- manufacturing expense	(xx)
	xx
Gross profit	xx
Less:- Operating Expense	
- Administrative expense	(xx)
- Selling & Distribution	(xx)
	xx
Operating Profit (PBIT)	xx
Less:- Interest	(xx)
	xx
Profit before Tax (PBT)	xx
Less:- Tax	(xx)
	xx
Profit After Tax (PAT)	xx
Less:- Preference Dividend	(xx)
	xx
Earning for Equity (EAE)	xx
Less:- Equity Dividend	(xx)
	xx
Retained Earning	xx

Notes:-

Investment

Trade-Investment

* Investment to operate business
* Eq: SF Investment, Assets Replacement Investment etc.

Non-trade Investment

* Investment to earn income.
eq: share, Debture, Capital WIP etc.

Types of Ratio

Financial Ratio

Activity Ratio /
Turnover Ratio

Profitability
Ratio

Market-Test
Ratio.

- ST Solvency Ratio
- LT Solvency Ratio.

Short-Term Solvency Ratio

$$a. \text{ Current Ratio} = \frac{\text{Current Assets}}{\text{Current Liabilities}} \quad (2:1)$$

b. Liquid / Acid-Test / Quick Ratio

$$= \frac{\text{Liquid Assets}}{\text{Liquid Liabilities / Current Liabilities}}$$

* Liquid Assets = CA - stock - prepaid

* Liquid Liabilities = CL - cash credit - Bank overdraft.

$$c. \text{ Super Quick Ratio} = \frac{\text{cash} + \text{Bank} + \text{marketable securities}}{\text{Current Liabilities}}$$

(Absolute liquidity)

$$d. \text{ Cash Interval Ratio} = \frac{\text{cash} + \text{Bank} + \text{marketable securities}}{\text{Avg. Daily cash expense}}$$

(Basic Defense Ratio)

$$* \text{ Avg Daily Cash expense} = \frac{\text{Total Cash expense}}{365}$$

$$e. \text{ Net Working Capital} = \text{CA} - \text{CL}$$

Activity Ratio

⇒ Revenue generated per rupee of resources utilized.

$$① \frac{\text{Fixed Assets / Total Assets / Working Capital / Capital Employed}}{\text{turnover Ratio}} = \frac{\text{Turnover / Sales}}{\text{Avg Total Assets / FA / WC / CE}}$$

$$② \text{ Stock turnover (ITR)} = \frac{\text{COGS / Sales}}{\text{Avg. Inventory}}$$

$$\text{velocity / Holding period} = \frac{365 / 12m / 52 \text{ week}}{\text{ITR}}$$

$$③ \text{ Debtor turnover (DTR)} = \frac{\text{Credit Sales}}{\text{Avg. Debtor.}}$$

$$\text{Holding / velocity period} = \frac{365 / 12m / 52 \text{ weeks}}{\text{DTR}}$$

$$④ \text{ Creditor turnover Ratio (CTR)} = \frac{\text{Credit Purchase}}{\text{Avg. Creditor}}$$

$$\text{Holding / velocity period} = \frac{365 / 12m / 52 \text{ week}}{\text{CTR}}$$

Long-term Solvency Ratio

$$a. \text{ Equity Ratio} = \frac{\text{Shareholder's Fund}}{\text{Capital Employed}}$$

$$b. \text{ Debt-Ratio} = \frac{\text{LT Debt} / \text{Total Debt}}{\text{Total Debt} + \text{Networth}}$$

$$c. \text{ Debt-Equity} = \frac{\text{LT Debt}}{\text{Shareholder's Fund}}$$

$$d. \text{ Proprietary Ratio} = \frac{\text{Shareholder's Fund}}{\text{Total Assets (Net Assets)}}$$

$$e. \text{ outside liabilities to Assets Ratio} = \frac{\text{outside liabilities}}{\text{Total Assets}}$$

f. Gearing / Leverage Ratio

$$= \frac{\text{Fixed Cost Capital}}{\text{Total Capital Employed.}}$$

Fixed cost Capital = Preference + LT Debt

$$g. \text{ Capital Gearing} = \frac{\text{Fixed Cost Capital}}{\text{Variable Cost Capital or Equity Shareholder's Fund}}$$

$$h. \text{ Fixed Assets Ratio} = \frac{\text{FA}}{\text{LT Debt.}}$$

i. Coverage Ratio

$$* \text{ Interest} = \frac{\text{PBIT}}{\text{Interest}}$$

$$* \text{ Preference Dividend} = \frac{\text{PAT}}{\text{PD}}$$

$$* \text{ Equity Dividend} = \frac{\text{EAE}}{\text{ED}}$$

$$* \text{ Debt-service} = \frac{\text{PBIT}(1-t) + \text{Non-cash Expense}}{\text{Annual Instalment (Principle + Interest)}}$$

$$* \text{ Fixed charge} = \frac{\text{EBIT} + \text{Depreciation}}{\text{Interest} + \text{Loan Repayment} (1-t)}$$

Profitability Ratio

$$\begin{array}{r} \text{Sales} \\ \text{Less:- GST} \\ \text{Less:- Sales return} \\ \text{Net sales} \end{array} \begin{array}{r} \times 100 \\ (\times 100) \\ (\times 100) \\ \times 100 \end{array}$$

- ① GP Ratio = $\frac{\text{Gross Profit}}{\text{Sales}} \times 100$
 - ② COGS = $\frac{\text{COGS}}{\text{Sales}} \times 100$ [100% - GP Ratio]
 - ③ Net profit Ratio = $\frac{\text{PAT}}{\text{Sales}} \times 100$
 - ④ operating Profit Ratio = $\frac{\text{PBIT}}{\text{Sales}} \times 100$
 - ⑤ operating Ratio = $\frac{\text{operating cost}}{\text{Sales}} \times 100$
= [100% - operating profit Ratio]
- operating cost = COGS + operating expense.
- ⑥ operating Expense Ratio = $\frac{\text{operating expense}}{\text{Sales}} \times 100$
 - ⑦ ROI/ROA/ROCE = $\frac{\text{PBIT}}{\text{Avg. CE}} \times 100$ or $\frac{\text{PBIT}(1-t)}{\text{Avg. CE}} \times 100$
 - ⑧ ROE/share holder's Fund = $\frac{\text{PAT}}{\text{Avg. NW}} \times 100$
 - ⑨ ROESF = $\frac{\text{PAT} - \text{PD}}{\text{Avg. ROESF}} \times 100$
 - ⑩ cash profit = $\frac{\text{PAT} + \text{Non-cash Expense}}{\text{Sales}} \times 100$

Market-Test Ratio.

- ① EPS = $\frac{\text{EAE}}{\text{No. of Equity shares}}$
- ② DPS = $\frac{\text{Equity Dividend}}{\text{No. of Equity shares}}$
- ③ Earning/market Yield = $\frac{\text{EPS}}{\text{mp}} \times 100$
- ④ Dividend yield = $\frac{\text{DPS}}{\text{mp}} \times 100$
- ⑤ P/E Ratio = $\frac{\text{mp}}{\text{EPS}}$
- ⑥ Dividend payout = $\frac{\text{DPS}}{\text{EPS}} \times 100$
- ⑦ Retention Ratio
= $\frac{\text{Retained Earning}}{\text{EAE}} \times 100$
= 100% - pay-out Ratio
- ⑧ BVPS = $\frac{\text{Net worth}}{\text{No. of Equity shares}}$
- ⑨ MV/BVPS = $\frac{\text{mp}}{\text{BVPS}} \times 100$

Du-pont Chart:-

$$\begin{aligned} \text{L. ROI/ROCE} &= \text{operating profit Ratio} \times \text{Capital Turnover Ratio} \\ &= \frac{\text{PBIT}}{\text{Sales}} \times \frac{\text{Sales}}{\text{CE}} \end{aligned}$$

$$\begin{aligned} \text{② ROE} &= \text{NIP Ratio} \times \text{Assets Turnover} \times \text{Equity multiplier} \\ &= \frac{\text{PAT}}{\text{Sales}} \times \frac{\text{Sales}}{\text{Assets}} \times \frac{\text{Assets}}{\text{Net worth}} \end{aligned}$$

Chapter :- Leverage

1. meaning

⇒ Effect of Fixed Cost on Profitability. Firm should use fixed cost capital in order to maximize shareholder's wealth. However, Fixed Cost Capital act as double-edge sword.

eg. 'A' Ltd :- Sales = 1000,000
 VC = 40% , Tax = 50% , FC = 100,000

Capital Structure:

10% Debenture = 500,000

10% PSC = 200,000

Equity (₹10) = 100,000

Case-1 :- Sales increase by 100%.

Case-2 :- Sale decrease by 50%.

Particulars	Case-2	Present	Case-1
Sales	500,000	1000,000	2000,000
(-) variable cost	200,000	400,000	800,000
Contribution	300,000	600,000	1200,000
(-) Fixed Cost	100,000	100,000	100,000
Operating profit (PBIT)	200,000	500,000	1100,000
(-) Interest	50,000	50,000	50,000
PBT	150,000	450,000	1050,000
(-) Tax expense	75,000	225,000	525,000
PAT	75,000	225,000	525,000
(-) Preference Dividend	20,000	20,000	20,000
EAE	55,000	205,000	505,000
ⓐ No. of Equity share	10,000	10,000	10,000
ⓑ EPS (a/b)	5.5	20.5	50.5

Business Risk

- * It refers to risk associated with firm's operation
- * unavoidable in nature.
- * Represented by variability in operating profit (PBIT)
- * It is associated with revenue & operating cost

Financial Risk:

- * Risk associated with Capital Structure.
- * Avoidable in nature.
- * Represented by variability in earning Available Equity (EAE)
- * It is associated with financial fixed cost i.e capital structure.

Particulars	operating Leverage	Financial Leverage	Combined Leverage
meaning	use of operating fixed cost to increase operating profit	use of financial fixed cost to increase EPS.	use of both fixed cost to increase EPS.
calculation	$= \frac{\text{Contribution}}{\text{PBIT}}$	$= \frac{\text{PBIT}}{\text{EBT} - \frac{\text{PD}}{(1-t)}}$	$= \frac{\text{Contribution}}{\text{EBT} - \frac{\text{PD}}{(1-t)}}$
Degree of Leverage (DOL)	$\frac{\% \text{ change in EBIT}}{\% \text{ change in Revenue/Contribution}}$	$\frac{\% \text{ change in EPS}}{\% \text{ change in EBIT}}$	$\frac{\% \text{ change in EPS}}{\% \text{ change in Revenue/Contribution}}$
Affected by	operating fixed cost	Financial Fixed cost	Combined fixed cost.

Note:- If operating Risk is higher, reduce financial Leverage in order to maintain overall Combined Leverage.

Effect of Financial Leverage on ROE

$$\text{ROE} = \text{ROA} + (\text{ROA} - K_{dt}) \times \frac{\text{Debt}}{\text{Equity}}$$

where, $\text{ROA} = \frac{\text{PBIT}(1-t)}{\text{CE}} \times 100$

$$\text{PBIT}(1-t) = \text{NOPAT}$$

$K_{dt} = \text{After Tax cost of debt.}$

Conclusion:- Financial Leverage has positive impact on ROE, if After tax cost of debt is lower than Return on Assets (i.e. $\text{ROA} > K_{dt}$)

Relationship of operating Leverage with BEP & MOS

(i) operating Leverage = $\frac{\text{Contribution}}{\text{EBIT}}$

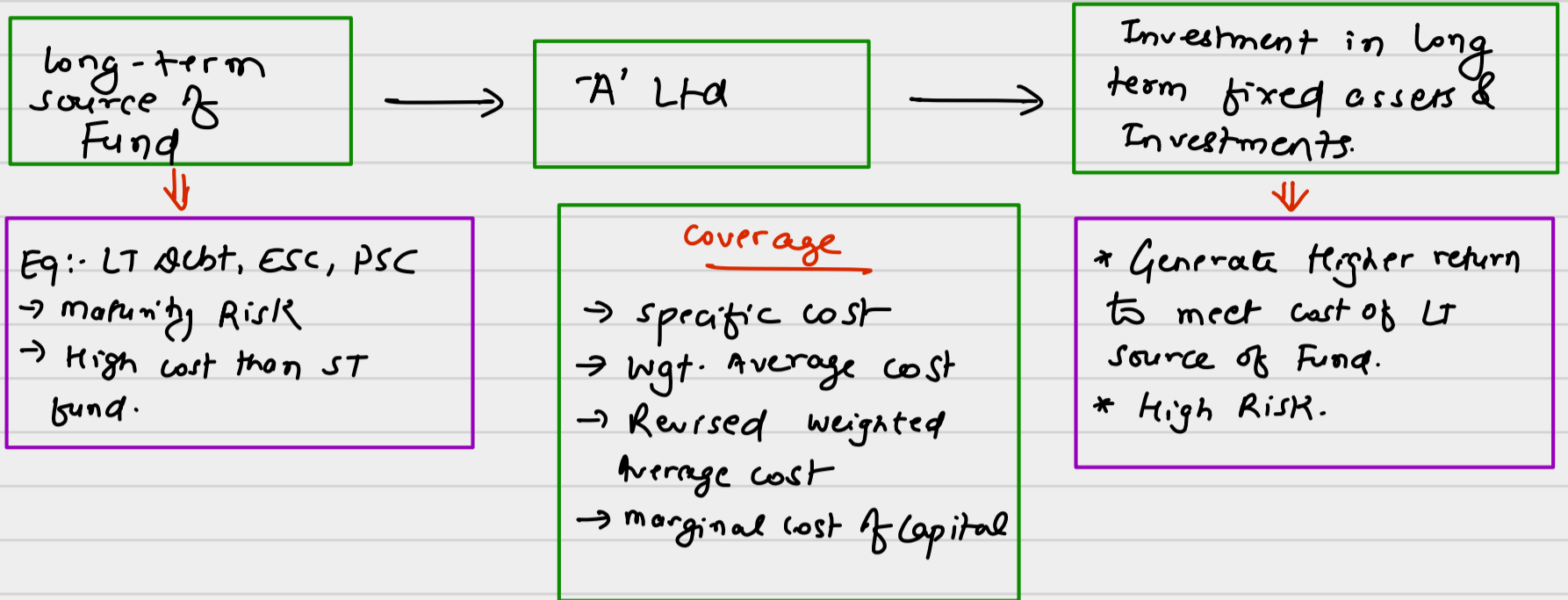
(ii) BEP = $\frac{\text{Fixed Cost}}{\text{Contribution/unit}}$

Relationship

operating Leverage \uparrow , FC \uparrow ,
BEP \uparrow , MOS \downarrow & vice-
versa.

Chapter :- Cost of Capital

1. Source of Capital



1. Specific Cost :-

Capital	Computation	
1. Debt (LT loan, Debenture, bond etc.) (K_d)	<u>Irredeemable</u> $= \frac{\text{Interest}(1-t)}{\text{Net proceed}(NP)} \times 100$ $= \text{Int}(1-t) [\text{Rate}]$ <p>NP = IP - Floatation cost If Issue price not given, IP = mp, FV</p>	<u>Redeemable</u> $= \frac{\text{Int}(1-t) + \frac{RV-NP}{n}}{(RV+NP)/2} \times 100$ $= \frac{\text{Interest} + \frac{RV-NP}{n} [1-t] \times 100}{(RV+NP)/2}$ <p>[Tax benefit on discount & premium]</p> <p>* n = remaining period to maturity * If loan repaid → calculate Interest on outstanding balance.</p>
Preference share Capital (K_p)	<u>Irredeemable</u> $= \frac{PD}{P_0/NP} \times 100$	<u>Redeemable</u> $= \frac{[PD + CDT] + (RV-NP)/n}{(RV+NP)/2} \times 100$
Equity Capital (K_e)	<u>Dividend Approach</u> $= \frac{DPS}{P_0/NP} \times 100 \quad [\text{No growth}]$ $= \left[\frac{D_1}{P_0/NP} + g \right] \times 100 \quad [\text{growth}]$ $D_1 = D_0(1+g)$	<u>Earning Approach</u> $= \frac{EPS}{P_0/NP} \times 100 \quad (\text{No growth})$ $= \frac{E_1}{P_0/NP} \times 100 \quad (\text{growth})$ $E_1 = E_0(1+g)$

where,

D_1 = Expected, pays

D_0 = Just paid, last year dividend, current year dividend

$$\textcircled{5} \text{ CAPM} = R_f + (R_m - R_f) \times \beta$$

R_f = Risk-free return

R_m = Market rate of return

β = Beta of company.

$$\textcircled{6} \text{ Revised Yield} = \frac{D_1 + (P_1 - P_0) \times 100}{P_0}$$

Retained
Earning

$$K_r = K_e \quad [\text{If no flotation cost}]$$

$$\text{i.e. } K_r = \left[\frac{D_1}{P_0} + g \right] \times 100$$

If personal Tax & brokerage given,

$$K_r = K_e (1 - \text{personal Tax}) - \text{Brokerage} [\text{on Investment}]$$
$$= K_e (1 - \text{personal Tax}) (1 - \text{Brokerage}) [\text{on Return}]$$

2. Weighted Average Cost of Capital.

$$WACC = [W_A \times K_A + W_P \times K_P + W_E \times K_E]$$

Weight can be based on:-

1. Book value Approach

2. Market value (MP of Equity covers Retained Earning)

3. Target Debt-Equity [financing for new project]

3. Revised Wgt. Average Cost of Capital.

⇒ In case of change in source of Capital i.e.

① introduction of new Capital.

② Redemption of old Capital.

It is necessary to calculate Revised weighted

Average Cost of Capital

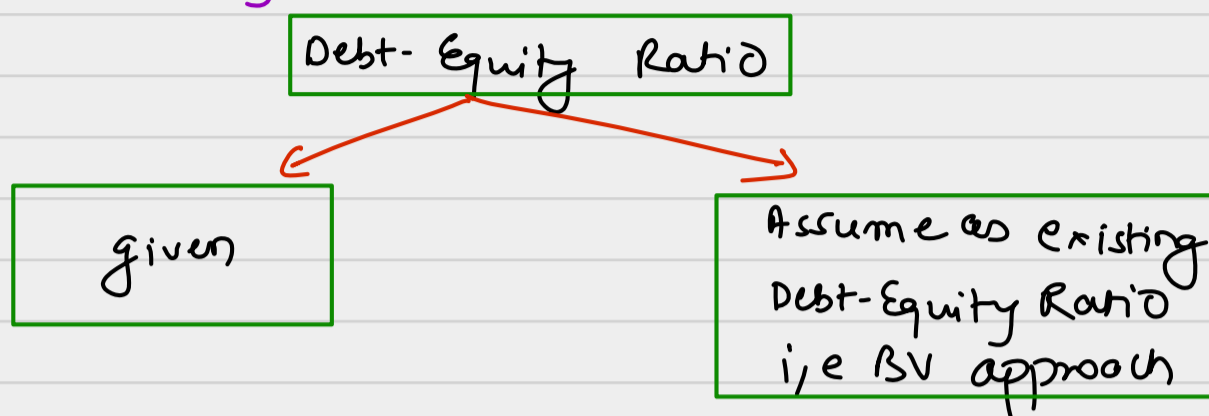
⇒ calculated same as above.

4. Marginal Cost of Capital:-

⇒ Cost of additional Capital.

⇒ It is incremental cost.

⇒ Financing pattern of new capital.



Equity Capital can be arranged by issue of new shares or Retained Earning.

Note: For the purpose of determining cost of Capital

- (i) take ex-dividend share price
- (ii) " ex-interest debenture price.

Chapter: Capital Structure

Coverage:

practical

1. Capital Structure Theories
2. EBIT- EPS- MPS Analysis
3. Financial break-even & EBIT Indifference point

Theoretical

- ① Over/under Capitalization
- ② factor Affecting Capital Structure.

1. Capital Structure Theories

Relevance Theory

1. Net Income Approach
2. Traditional Approach

Irrelevance Theory

1. Net operating Income Approach
2. Modigliani & Miller Approach

Other theory

1. Trade-off theory
2. Pecking theory

1. Net Income Approach:-

- ⇒ Financial leverage ↑, Wgt. avg cost of Capital ↓, value of firm ↑
- ⇒ Firm should use financial leverage to increase value of firm.

⇒ k_e is given & constant, we need to find k_o & v_f .

$$v_e = \frac{PAT}{k_e} = x_0$$

$$+ v_d = x_0$$

$$\text{① } v_f = x_0$$

EBIT	x_0
- interest	$(x_0)g$
EBT	x_0
- Tax	$(x_0)t$
PAT	x_0

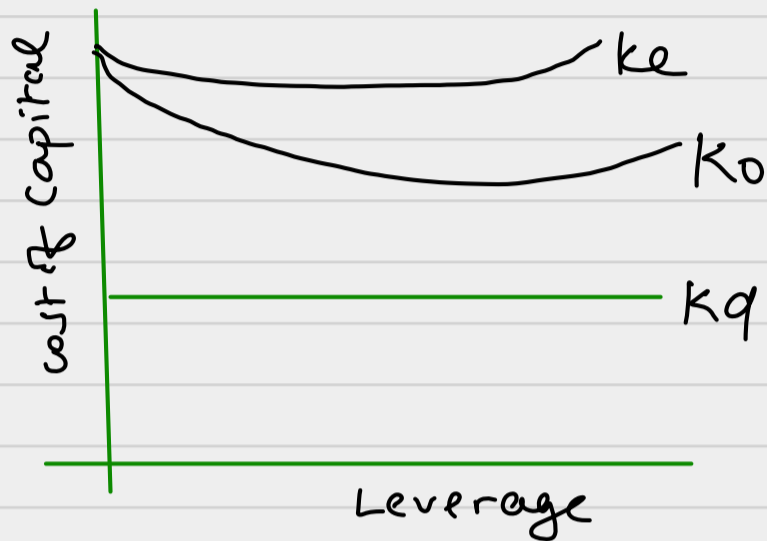
$$\text{② } k_o = \frac{EBIT}{v_f} \times 100 \text{ OR } \left(k_e \times \frac{v_e}{v_f} + k_d \times \frac{K_d}{v_f} \right)$$



2. Traditional Approach

⇒ use of financial leverage increase value of firm to some extent as advocated by NI approach. However, beyond that level, use of leverage decrease the value of firm due to increase in expected rate of return for equity.

⇒ calculation same as NI approach.



3. Net operating Income (NOI) Approach

⇒ Capital structure decision does not impact value of firm. i.e. $FL \uparrow$, $K_e \uparrow$, K_o becomes constant.

⇒ K_o will be given & constant and question will ask K_e & V_e .

$$V_f = \frac{EBIT}{K_o} = X_0$$

$$- \frac{V_d}{V_e} = \frac{X_0}{X_0}$$



$$K_e = \left(\frac{PAT}{V_e} \times 100 \right) \text{ or, } \left(K_o = K_e \times \frac{V_e}{V_f} + K_d \times \frac{V_d}{V_f} \right)$$

4. Modigliani & Miller Approach:-

⇒ same concept as per NOI Approach, However it provides behavioural justification for irrelevance of capital structure. This can be explain through Arbitrage process.

Arbitrage process:-

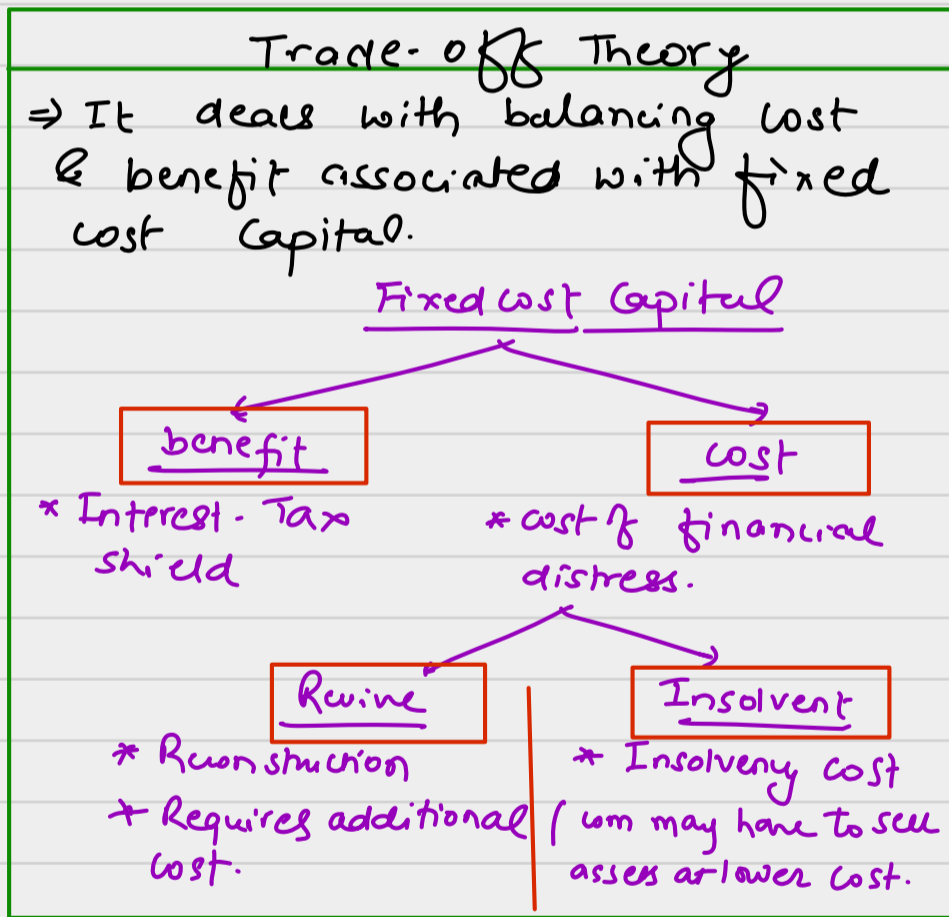
① sell shares of High value company & buy shares of low value company.

② Two ways to shows **Arbitrage Process.**

1. Same Investment, same Risk but Incremental Income.

1. Same return with Low investment, i.e. release of fund.

Particulars	without - Tax	with - Tax
1. value of unlevered firm	$= \frac{EBIT}{k_e/k_o}$	$= \frac{EBIT(1-t)}{k_e/k_o}$
2. value of leveraged firm	Same as unlevered	$= V_{UL} + D \times t$
3. cost of Equity of Levered	$V_L = \frac{PAT}{k_e} \times 100$ $= k_e + (k_e - k_d) \times \frac{D}{E}$	$V_L = \frac{PAT}{k_e} \times 100$ $= k_e + (k_e - k_d t) \times \frac{D}{E}$



Pecking Theory

⇒ based on asymmetric information i.e. different person may have different information. However, financial manager has better information than other.

Manager's choice of Capital

1. Internal financing (RE)
2. Debt Capital (secured / unsecured / hybrid) i.e. $ROCE > k_d t$
3. External Equity:- High cost Capital due to High Risk.

2. EBIT- EPS- MP Analysis:-

$$\rightarrow EPS = \frac{[EBIT - Interest](1-t) - PD}{\text{No. of Equity Shares}}$$

Conclusion:- If other things remains constant, there is direct relation between EBIT & EPS, i.e. Higher the EBIT, Higher will be EPS & vice-versa.

$$\rightarrow mp = EPS \times P/E$$

Conclusion:- If P/E ratio is constant, Higher the EPS higher will be mp of shares & vice-versa.

Optimum Capital Structure.

- That maximizes shareholder's wealth (i.e. mp)
- If P/E not given, decision should be based on maximizing EPS.

where,

$$EPS = \frac{EAE}{\text{No. of Equity shares}}$$

$$MP = EPS \times P/E \text{ Ratio.}$$

Eg:-

EBIT = 40% of Capital, Tax = 30%

Capital Structure	option-I	option-II	option-III
Equity	1000	800	500
10% Debt	-	200	300
20% PSC	-	-	200
	1000	1000	1000
P/E Ratio	12	10	9

Particular	I	II	III
EBIT	400	400	400
- interest @ 10%	-	20	30
EBT	400	380	370
- Tax @ 30%	120	114	111
PAT	280	266	259
- Preference Dividend	-	-	40
① EAE	280	266	219
② ÷ No. of shares	100	80	50
③ EPS (a/b)	2.8	3.325	4.38
④ P/E Ratio (given)	12	10	9
⑤ mp (cxd)	33.6	33.25	39.42

Conclusion:- Since mp in case-III is highest, it should be selected.

3. Financial Break-Even & EBIT-Indifference.

Financial Break-even	EBIT- Indifference Point.
<p>⇒ Level of EBIT required to meet all financial fixed cost. i.e</p> <p>at this EBIT, $EPS = 0$</p> <p><u>financial break-even</u></p> $= \frac{\text{Interest} + PD}{(1-t)}$	<p>⇒ Level of EBIT where, EPS under 2 financial options are same. i.e</p> $EPS_1 = EPS_2$ <p>or. $\frac{(EBIT - I_1)(1-t) - PD}{\text{No. of Equity shares}_1} = \frac{(EBIT - I_2)(1-t) - PD_2}{\text{No. of Eq. shares}_2}$</p>

Chapter:- Dividend Decisions.

- Practical
- * Theories in Dividend policy
- ① Traditional model
 - ② Walter model
 - ③ Gordon model
 - ④ MM model
 - ⑤ Linter model

- Theoretical
- ① Dividend vs. Buyback
 - ② Factors affecting dividend policy.
 - ③ Dividend policy in practice.

- Other Residual
- ① Right shares
 - ② Bonus shares
 - ③ share split.
 - ④ Reverse split

Does dividend policy impact share price?

No
→ MM model

Yes.
→ what is Impact?

positive
→ Traditional model.

→ depends on ROE vs. Re
① Walter model
② Gordon model.

1. Traditional Model:

meaning:-	Based on proverb that "A bird in hand is better than 2 in bush." People like dividend which is certain compared to capital gain arising out of retain Earning - clearly uncertain.
Pricing	$P = m \left[D + \frac{E}{3} \right] \Rightarrow m \left[\frac{4}{3}D + \frac{R}{3} \right]$ Note: m = firm multiplier
Conclusion:-	optimum Dividend policy is 100% pay-out.

2. Walter model.

a. Assumptions:-

- Retain Earning is only source of finance
- Return that company earn on new investment (i.e IRR/ROE/ROI) is known & constant.
- Required rate of return of shareholders (R_e or k_c) is known and constant.

b. Pricing Equation:-

$$P = \frac{D + (E - D) \times \frac{ROE}{R_e}}{R_e}$$

where, for 2 cases

$$R_e = \frac{1}{P/E} \Rightarrow g = 0$$

$$\rightarrow \text{growth but } ROE = R_e$$

c. optimum Dividend policy:-

Case	Interpretation	Dividend policy
$ROE > R_e$	Firm has positive NPV project. So, it should not pay dividend	pay-out $\rightarrow 0\%$
$ROE < R_e$	Firm has negative NPV project. So, it should pay dividend.	pay-out $\rightarrow 100\%$
$ROE = R_e$	Firm has zero NPV project. Dividend policy is irrelevance.	pay-out is irrelevance.

3. Gordon model:-

→ Assumptions & conclusions same as Walter model.

→ Pricing Equation: $P = \frac{D_1}{R_e - g} \Rightarrow \frac{E_1(1-b)}{R_e - b \times r}$

Where a_s ,

b = retention ratio of last year.

$$\text{Note: } P_0 = \frac{D_0(1+g)^{**}}{R_e - g^*}$$

** Sustainable Growth Rate (Next & Subsequent)

* coming year growth rate

4. Modigliani & Miller Model:-

9. Meaning:-

→ Dividend policy is irrelevant because value of firm depends on earning ability not earning distribution ability.

→ Assumptions:-

* Investors are rational.

* No taxes

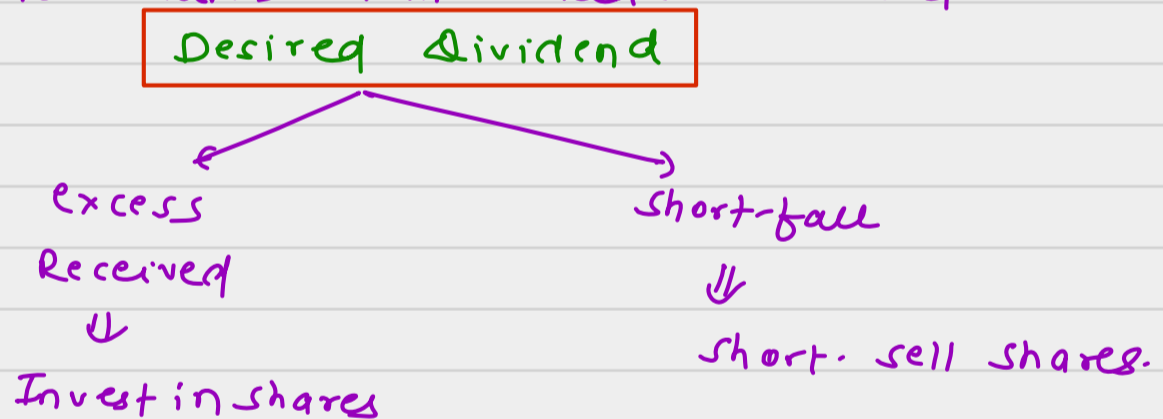
* No transaction cost

* Fully divisible shares

* Short-selling is allowed.

* Corporate dividend & Home-made dividend are perfect substitute.

→ How investor makes home-made dividend.



Pricing:-

$$\text{I. } P_0 = \frac{D_1 + P_1}{1 + R_e}$$

n = existing shares.

$$\Rightarrow nP_0 = \frac{n(D_1 + P_1)}{1 + R_e} \Rightarrow \text{value of Firm.}$$

II. When firm makes New Investment:-

$$mP_1 = I - [E - nD_1]$$

where,

m = new shares to be issued

I = Investment

E = PAT

$$\text{Note: } nP_0 = \frac{(m+n)P_1 + E - I}{1 + R_e}$$

S. Linter's model

⇒ As per this model, Dividend should be stable. Since, EPS of company changes, company should change pay-out ratio to maintain stable dividend

Ⓘ If EPS is high, pay-out should be low.

Ⓣ If EPS is low, pay-out should be high.

$$D_t - D_{t-1} = c [\alpha \text{EPS}_t - D_{t-1}]$$

α = pay-out ratio
 c = Adjustment factor.

B. Residual topics:-

L. Right shares:-

$$\text{Ex-Right price} = \frac{P_c \times n + E_{xm}}{n+m}$$

$$\text{value of Right} = \left. \begin{array}{l} \frac{P_c - E}{n+m} \text{ or, } \frac{P_c - E}{n} \end{array} \right\} \text{for having 1 share.}$$

Chapter:- Investment Decisions.

Coverage:-

Basic Terms

1. Depreciation
2. Interest
3. CFAT
4. Initial Investment
5. terminal CF
6. Tax Effect.
7. Cost of Capital
8. Relevant Costing

Capital Budgeting Techniques

1. ARR
2. PBP & Discounted PBP.
3. NPV
4. PI.
5. IRR
6. modified IRR

Special Cases

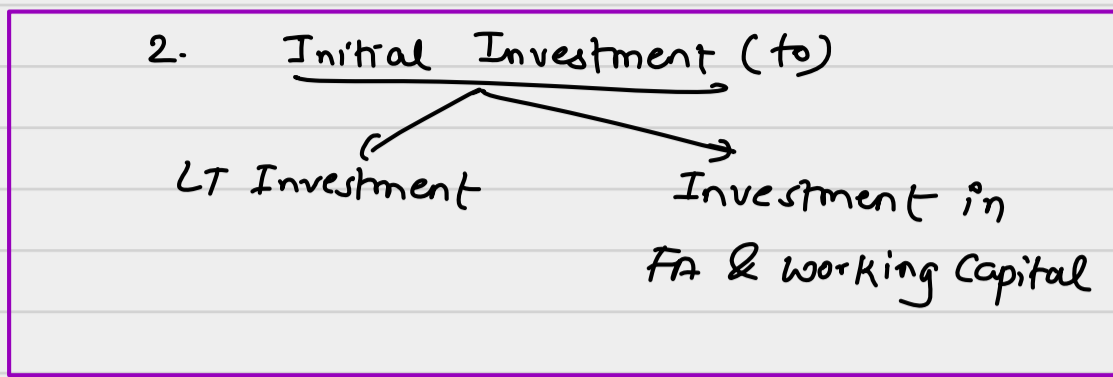
1. Cost information
2. Unequal life
3. Capital Rationing
4. Adjusted PV.
5. Replacement Decision.
6. Loan or Lease
7. Inflation in Capital Budgeting

⇒ Investment decisions means decision regarding investment in long-term assets in order to maximize shareholder's wealth.

I. Basic Terms:-

1. CFAT

Sales	xx
- VC	(xx)
Contribution	xx
- FC (including Depreciation)	(xx)
EBIT	xx
- Interest (ST)	(xx)
EBT	xx
- Tax	(xy)
EAT	xx
+ Dep	xx
CFAT	xx



3. Terminal CF

<u>Post-Tax sv:</u>		① <u>Profit</u>
sv	xx	Tax payable = Profit x TR
- WDU	(xx)	② <u>Loss</u>
Profit/Loss	xx	Tax Saving = Loss x TR

CFAT

⇒ PAT + Dep + Interest (1-t)

⇒ $[(SP - VC) \times Q - FC - D](1-t) + Dep$

⇒ $[(SP - VC) \times Q - FC](1-t) + DTS$

Post-Tax sv = sv + Tax Saving - Tax payable

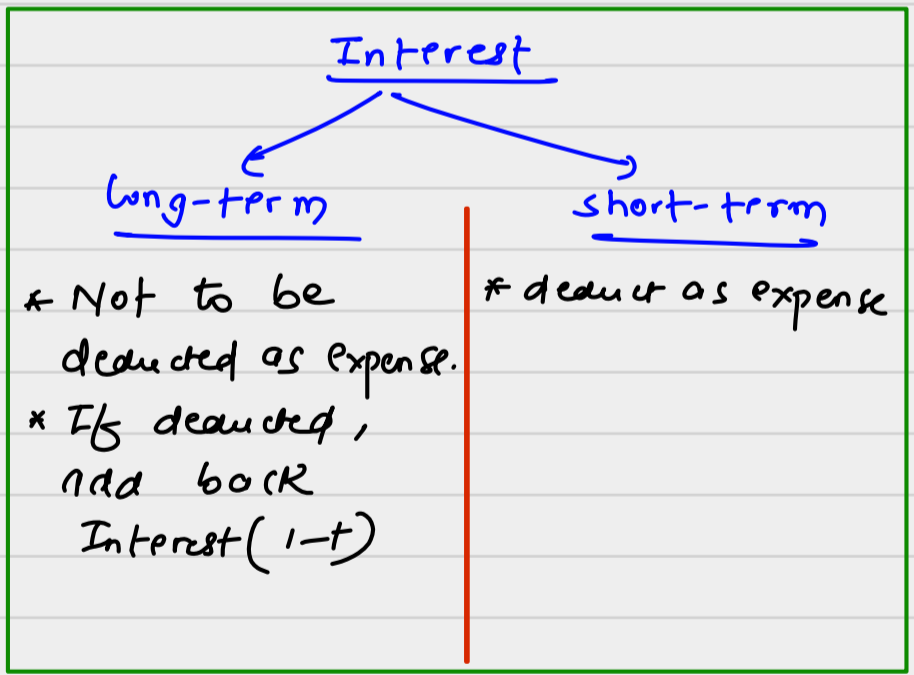
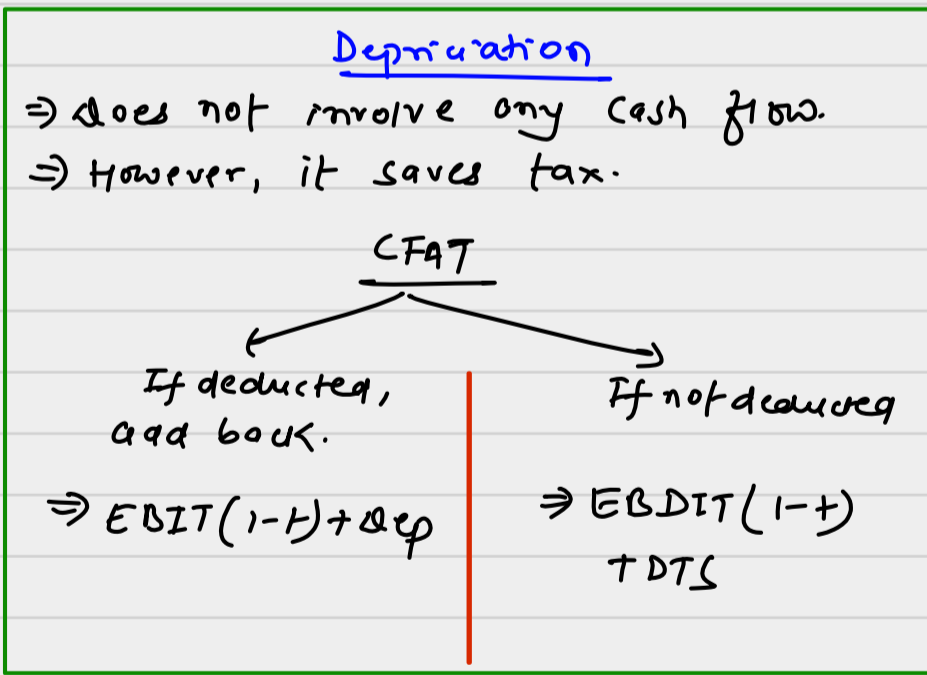
2. Working Capital Release

If invest at beginning it will release at end & vice-versa.

If question is silent:-

① sv = Nil

② Working Capital will always release.



Tax Implication

⇒ Every income has tax paying & expense has Tax Saving effect.

⇒ for DTS: Depreciation as per taxation.

⇒ loss in CFAT (It has tax saving effect)

① loss set-off with other project (CIT)

② CF & set-off next year (Next year tax payable after loss set-off)

Cost of Capital

① Expectation of LT Source of Finance

② Minimum Return to maintain share price

Relevant Costing

- ① Sunk Cost:- Irrelevant for decision making. Eg. R&D, market survey, consultancy fee paid etc.
- ② opportunity cost:- Include in decision making.
- ③ Avoidable cost:- Relevant in decision making.
- ④ Allocated overhead:- Ignore for decision making.

Types of Decision

single project



Accept / Reject

multiple project / mutually exclusive



select best opportunity

1. Accounting / Average Rate of return:-

$$= \frac{\text{Average PAT}}{\text{Initial Investment}} \times 100$$

$$= \frac{\text{Avg. PAT}}{\text{Avg Investment}} \times 100$$

$$\text{Avg. Investment} = \frac{\text{Initial Investment} + \text{SV}}{2}$$

$$\text{Avg. PAT} = \frac{\text{Total profit}}{n}$$

Decision

① single project
ARR > K_c

② mutually exclusive
→ higher ARR

2. Payback Period (PBP) and DPBP

q. pay-back period

$$\rightarrow \text{uniform CF} = \frac{\text{Initial Investment}}{\text{CFAT}}$$

$$\rightarrow \text{Non-uniform CF} = \text{lower Range} + \frac{\text{deficiency}}{\text{CFAT in upper Range}}$$

for Discounted PBP:- It covers cost of Capital also for discounted PBP, discounted CFAT & its cumulative shall be considered.

Decision:-

① single project \longrightarrow PBP < management pre-determined rate.

② mutually exclusive \longrightarrow lower PBP

③ Net Present value:-

Pv of inflow	x
Less:- Pv of outflow	(x)
NPV	x

Decision:-

① single project:-

\Rightarrow NPV positive

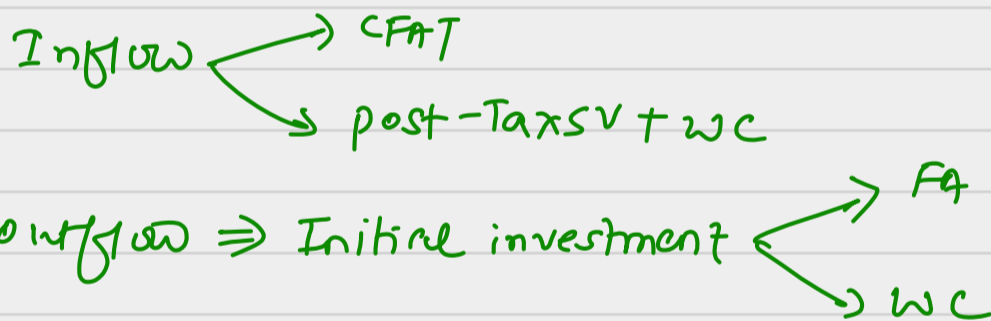
② mutually Exclusive

\Rightarrow Higher NPV.

Note:- Positive NPV increase shareholder's wealth.

$$\text{Increase in price} = \frac{\text{NPV}}{\text{No. of shares}}$$

Note-2:-



4. PI / PV Index / Benefit-cost Index / Desirability factor.

$$PI = \frac{\text{Pv of inflow}}{\text{Pv of outflow}}$$

So,

$$NPV = (PI - 1) \times \text{Initial investment}$$

\Rightarrow It shows inflow per rupee of outflow.

Decision

① single project \longrightarrow $PI > 1$

② mutually exclusive \longrightarrow Higher PI

⑤ Internal Rate of Return:-

$$IRR = \text{lower rate} + \frac{NPV_{LR}}{NPV_{LR} - NPV_{HR}} \times (HR - LR)$$

⇒ It is actual rate of return on project. So, it is rate at which $NPV=0$.

Decision:-

- ① single project \longrightarrow $IRR > K_C$
- ② mutually exclusive \longrightarrow Higher IRR.

How to estimate 2 rates

① Approx. PBP = $\frac{\text{outflow}}{\text{avg. CFAT}}$ [Avg. CFAT = $\frac{\text{Total CFAT}}{n}$]

- ② see range of Approx PBP in table-II to find 2 discount rate.

⑤ Modified Rate of return:-

⇒ It is rate of compounding in a project.

Step-1 Calculate FV of CFAT



Step 2 calculate Growth factor $'g'$ = $\frac{\text{Future value}}{\text{Initial outflow}}$

Step-3:- $MIRR = \sqrt[n]{g} - 1$
or, $(g)^{\frac{1}{n}} - 1$

Second Approach

In table-II, for life = n, find range of growth factor & corresponding 2 rate.

$$MIRR = LR + \frac{\text{Factor at LR}}{\text{Difference in factor}} \times (HR - LR)$$

Special Cases:-

1. only cost information given:-

⇒ select a project with minimum PV of all outflow

PV of outflow

Initial investment	xx
+ PV of post-Tax operating cost	xx
(-) PV of post-Tax SV	(xx)
	<u>xx</u>

PV of operating cost

year	$OC(1-t)$ (2)	DTS (3)	Net (2-3)	PV
1	xx	xx	xx	xx
2	xx	xx	xx	xx
3	xx	xx	xx	xx

2. unequal life:-

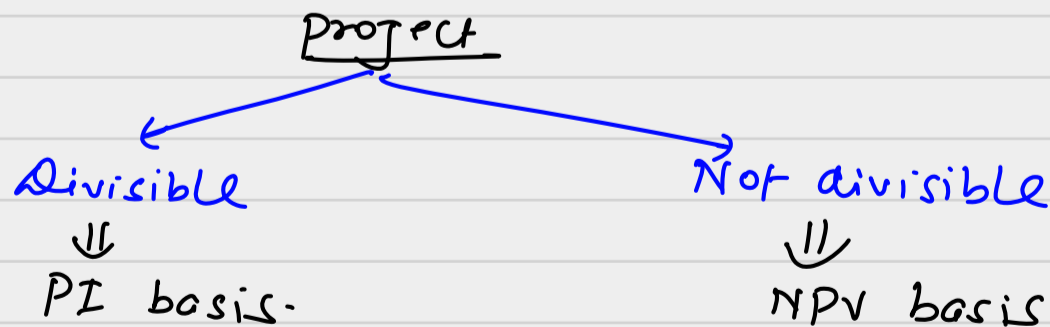
* calculate Equivalent Annualized NPV & take decision based on it.

$$\text{Equivalent Annualized NPV} = \frac{\text{NPV}}{\text{PVAF}}$$

* If only cost information given.

$$\text{Equivalent Annualized Cost} = \frac{\text{PV of all outflow}}{\text{PVAF}}$$

③ Capital Rationing:- If long term source of finance is not sufficient to finance all projects.



④ Adjusted PV:

Adjusted PV = Base case NPV + PV of Interest-Tax Shield. - Issue Cost.

Base case NPV

⇒ NPV assuming project is equity finance.

i.e. Base NPV = PV of inflow at k_e^* - Initial Investment

* $k_e = R_f + (R_m - R_f) \times \beta$ (It is rate of return for equity shareholding assuming project is unlevered.)

* PV of interest Tax shield = $(\text{Interest} \times \text{Tax}) \times \text{PVAF}$

* Adjusted Discount Rate = $\frac{\text{Annual Income (for APV to '0')}}{\text{Fund}} \times 100$

* $(\text{Annual Income} \times \text{PVAF}) - \text{Total fund} = \text{APV}$

5) Replacement Decision.

a. Initial Investment

cost of new machine	xx
+ working Capital	xx
(-) post-Tax sv of old machine (at present)	(xx)
	<u>xx</u>

b. Incremental CFAT

CFAT of new machine	xx
Less: " " old machine	(xx)
Incremental CFAT	<u>xx</u>

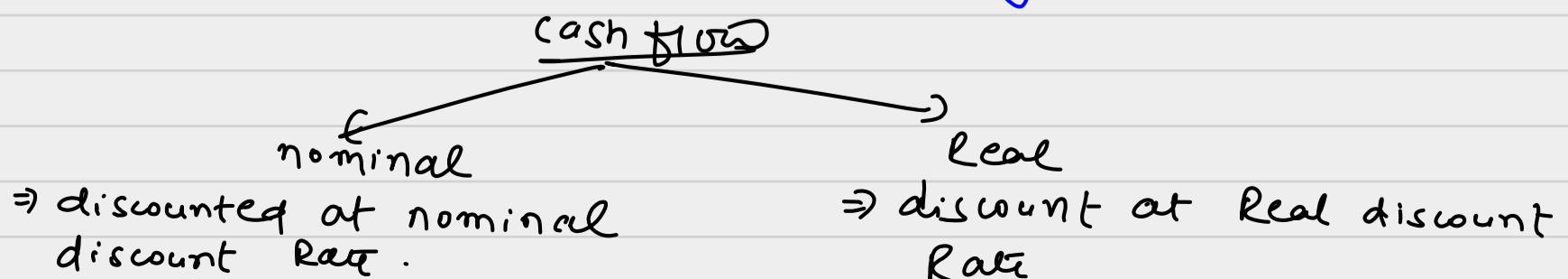
c. Terminal CF

post-Tax sv of new machine (at end)	xx
Less: " " " " old " (at end)	(xx)
	<u>xx</u>

$$\text{NPV} = \text{PV of inflow} - \text{PV of outflow}$$

$$= (\text{Incremental CFAT} \times \text{PVAF}) + (\text{sv} \times \text{PVIF}) - \text{outflow}$$

6) Inflation in Capital Budgeting



Note:- If CF given is real CF, assume discount rate is nominal & vice-versa.

2 methods of solution

① Convert real CF into nominal & discount at Nominal Rate

② Convert Nominal rate into real rate & discount real CF.

Note:-

① Nominal CF = Real CF (1 + Inflation)

② Nominal Rate = $(1 + K_c) (1 + \text{Inflation}) - 1$.

⑦ Buy or Lease

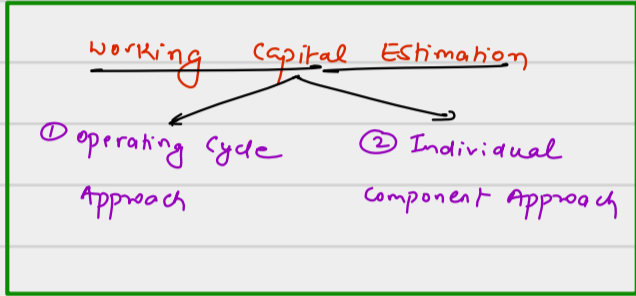
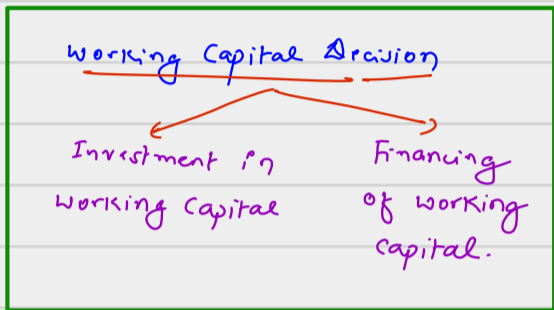
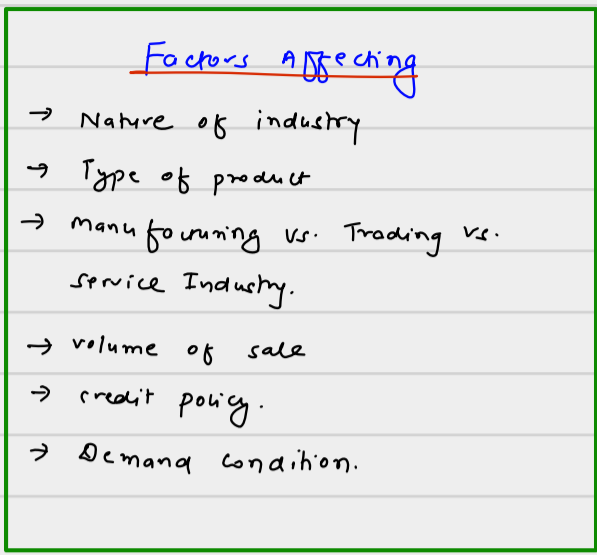
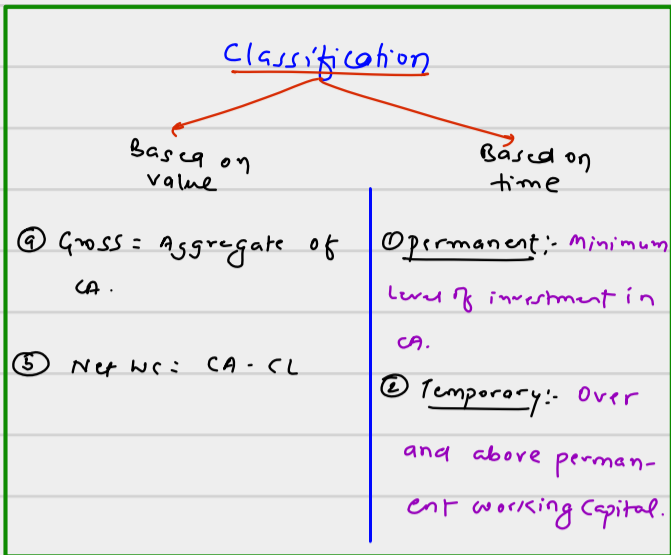
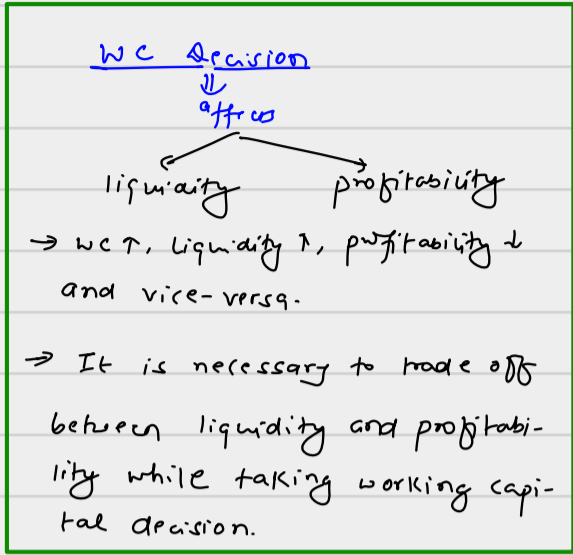
① Buy with bank loan

Years	Installment (a)	Int-Tax Shield (b)	DLS (c)	Net CF (a-b-c)	PV of CF
1	xx	xx	xx	xx	xx
2	xx	xx	xx	xx	xx
3	xx	xx	xx	xx	xx
					<u>xx</u>
				PV of outflow ⇒	<u>xx</u>

② Lease

Years	LR (a)	Tax Saving (b)	Net CF (a-b)	PV of CF
0	xx	-	xx	xx
1	xx	xx	xx	xx
2	xx	xx	xx	xx
3	-	xx	(xx)	xx
				<u>xx</u>
			PV of outflow ⇒	<u>xx</u>

Chapter- Working Capital Estimation

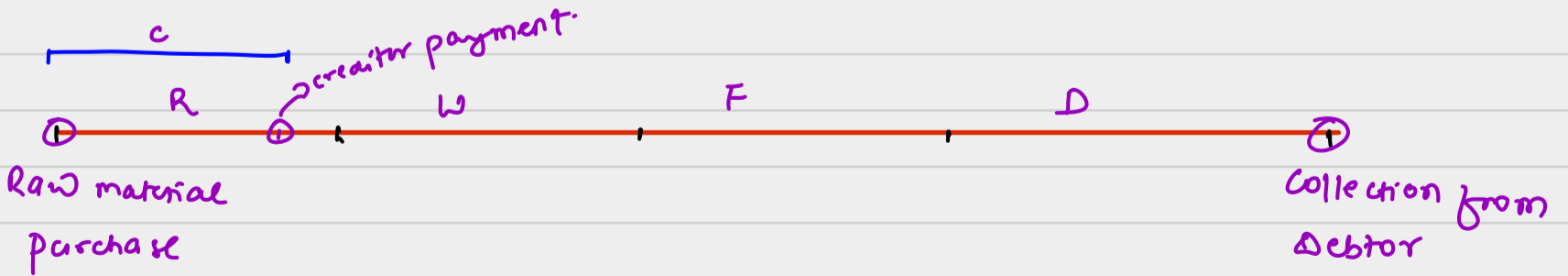


1. Operating cycle Approach:-

$$\text{Working Capital Estimation} = \left[\text{Operating Cycle} \times \frac{\text{Cash operating Expense}}{365} \right] + \text{minimum cash balance}$$

$$\text{Operating Cycle} = R + W + F + D - C$$

- R = Raw material storage period
- W = WIP conversion period
- F = finished good storage period
- D = Debtor collection period
- C = Creditor payment period.



Where,

$$R = \frac{\text{Avg. Inventory of raw material}}{\text{Avg. Raw material consumption per day}}$$

$$W = \frac{\text{Avg. stock of WIP}}{\text{Avg. COP per day}}$$

$$F = \frac{\text{Avg stock of Finished goods}}{\text{Avg. COGS per day}}$$

$$D = \frac{\text{Avg. Debtor}}{\text{Avg. credit sale per day}}$$

$$C = \frac{\text{Avg. creditor}}{\text{Avg credit purchase per day}}$$

2. Individual Component Approach

9. Computation of total cost

opening stock of raw material	xx
+ purchase	xx
- closing stock of raw material	(xx)
Raw material Consumed	xx
+ Direct Labour	xx
+ Direct Expense	xx
+ Manufacturing overhead	xx
Gross factory cost	xx
+ Opening stock of WIP	xx
(-) Closing " " "	(xx)
Factory cost	xx WIP
+ GOH (related to production)	xx
Cost of production	xx
+ opening stock of finished goods	xx
(-) closing " " "	(xx)
COGS	xx → Finished goods
+ selling & distribution overhead	xx
COS	xx → Debtor

Example:

Given, $K_e = 16\%$, Risk Premium = 9%, Outflow = 10,000
 Therefore, $R_f = \frac{16}{1.09} - 1 = 6.42\%$

Note: If question is silent following assumptions are made:-

① opening stock of RM, WIP, FG = closing stock of RM, WIP, FG

so,

Year	Expected CF	CEU = $1 - 0.14$	Certain CF	PV @ 6.42%
1	10,000	$1 - 0.14 \times 1 = 0.9$	9,000	8,457.05
2	12,000	0.8	9,600	8476.65
3	14,000	0.7	9,800	8131.23
				25,064.94

RM consumption = RM purchase
 Gross factory cost = Factory cost
 Cost of production = COGS

NPV = 25,064.94 - 20,000 = 5064.94

Interpretation:

Chapter:- Receivable management

management of Receivable

→ Evaluation of credit

policy

① Total Approach

② Incremental Approach

financing of Receivable

① Pledge

② Factoring

1. Evaluation of credit Policy:-

	<u>Present</u>	<u>P₁</u>	<u>P₂</u>
credit sale	xx	xx	xx
<u>Less:- Cost</u>			
- VC	xx	xx	xx
- FC	xx	xx	xx
<u>Less: ① Bad debt</u>	xx	xx	xx
② Cash discount	xx	xx	xx
③ Administrative cost	xx	xx	xx
	xx	xx	xx
PBT	xx	xx	xx
<u>Less:- Tax</u>	xx	xx	xx
PAT			
<u>Less:- Opportunity Cost</u>	xx	xx	xx
[cost of credit sale x $\frac{\text{collection period} \times \text{ROI}}{365}$]			
Net Benefit	xx	xx	xx

Note:- ROI → After Tax return on investment

Incremental Approach

	<u>Present</u>	<u>P₁</u>	<u>P₂</u>
credit sale	xx	xx	xx
Incremental sale	-	xx	xx
<u>Less:- Incremental cost</u>			
- VC	VC	xx	xx
- FC	FC	-	-
Incremental Bad debt	-	xx	xx
" Cash discount	-	xx	xx
" Administrative exp	-	xx	xx

	Incremental PBT	<u>—</u>	<u>xx</u>	<u>xx</u>
<u>Less:-</u>	Tax	<u>—</u>	<u>(xx)</u>	<u>(xx)</u>
	Incremental PAT	<u>—</u>	<u>xx</u>	<u>xx</u>
<u>Less:-</u>	opportunity cost (Note)	<u>—</u>	<u>xx</u>	<u>xx</u>
	Incremental Benefit		<u>xx</u>	<u>xx</u>

Note:- opportunity cost on incremental Receivable

	<u>Present</u>	<u>A</u>	<u>P₂</u>
Receivable	xx	xx	xx
[$\text{cost} \times \frac{\text{collection period}}{360}$]			
Incremental Receivable	—	xx	xx
opportunity cost			
[Incremental Receivable \times ROI]	—	xx	xx

2. Financing of Receivable

Cost/Benefit
of factoring

Effective cost of
factoring.

1. Cost/Benefit

—	Saving in Bad debt	xx
+	Saving in Administrative cost	xx
+	Saving in cost of fund (Note-1)	xx
<u>Less:-</u>	commission	<u>(xx)</u>
		<u>xx</u>

Note-1

Saving in cost of fund

2 reasons

Decrease in Receivable

$$\left[\text{credit sales Yearly} \times \frac{(90 - 60)}{360} \times \text{ROI} \right]$$

Decrease in cost of

$$\left[\text{credit sale} \times \frac{\text{collection period}}{\text{funding}} \times (8\% - 6\%) \right]$$

2. Effective Cost of Factoring

$$= \left[\frac{\text{Net Cost}}{\text{Fund Raised}} \times 100 \times n \right] \rightarrow \%$$

3m

a. Fund Raised

Receivable	xx
$\left[\text{credit sales} \times \frac{\text{collection period}}{365} \right]$	
(-) Reserve	xx
(-) upfront commission	xx
Advance	xx
(-) Interest upfront	xx
$\left[\text{Advance} \times \text{Rate} \times \frac{\text{DCP}}{365} \right]$	
Fund Raised \Rightarrow	<u>xx</u>

b. Net Cost (3m)

a. Commission	xx
b. Interest	xx
	<u>xx</u>
Less:- Saving	xx
- Bad debt	
- Administration	xx
- Interest on WC from outside	xx
	<u>xx</u>

a. Commission
 → upfront → paid at beginning
 → Arrear → paid at end

b. Factoring
 → Recourse → Firm will bear bad debt.
 → Non-recourse → factor " " " "

3. Credit Period

2/10 net 45 \Rightarrow pay within 10 days \rightarrow 2% discount
 After 10 days but max 45 days \rightarrow No discount

Decision

Discount = $100 \times 2\% \Rightarrow 2$
 PP = 100
 pay = 15 days
 loan = 15%
 cost of early payment = $100 \times 15\% \times 5/365 \Rightarrow 0.21$

Net saving = $2 - 0.21 \Rightarrow \underline{\underline{1.79}}$

max days to pay to avoid interest

① 45 days
 ② $\frac{\text{No. of days}}{365} \times 15\% \times 100 = 1.79$
 \Rightarrow 44 days
 } payment \Rightarrow 44 days.

Chapter:- Cash management

⇒ Management of cash in such a way that there is sufficient liquidity and No surplus cash available with firm.

Techniques

- ① Cash Budget
- ② William J. Baumol EOQ model
- ③ Miller-orr Cash management
- ④ Management of float
- ⑤ Accelerating cash collection
- ⑥ Management of marketable securities

1. Cash Budget

- 3 Approach —
- ① Receipt & payment
 - ② Balance sheet Approach.
 - ③ P/L Approach

Receipt & payment Approach.

Particulars	April	May	June
Opening Cash	xx	xx	xx
Add: <u>Receipt</u>			
① cash sale	xx	xx	xx
② Collection	xx	xx	xx
③ other income	xx	xx	xx
④ Sale of FA/ Investment	xx	xx	xx
Less: <u>Payment</u>			
① Cash purchase	xx	xx	xx
② payment to creditor	xx	xx	xx
③ Cash Expense	xx	xx	xx
④ Fixed Assets Purchase	xx	xx	xx
⑤ Tax payment	xx	xx	xx
<u>Closing cash balance*</u>	<u>xx</u>	<u>xx</u>	<u>xx</u>

* Deficiency → Arrange BOD
 Surplus → Invest in ST securities

2. William J. Baumol

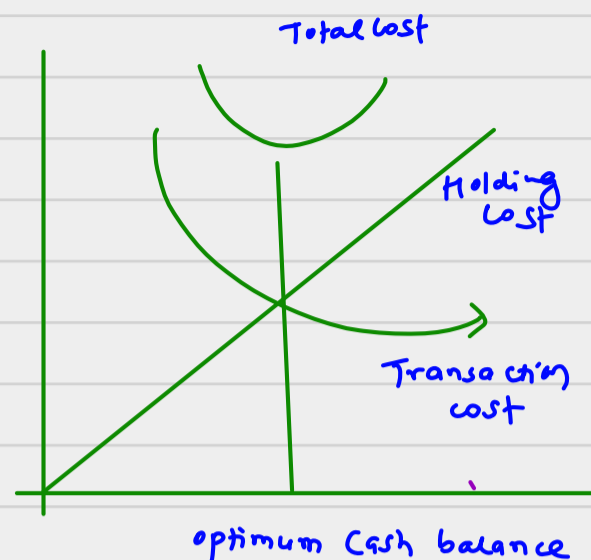
Optimum Cash Holding

Holding cost

Transaction cost

- a. on Average cash holding
- b. Per Rupee of cash i.e. for ₹1 p.a.
- c. Lot size Increase, Average cash holding increase

- a. Fixed per transaction
- b. lot size (withdrawal) decrease, No. of transaction Increase, Transaction cost will increase



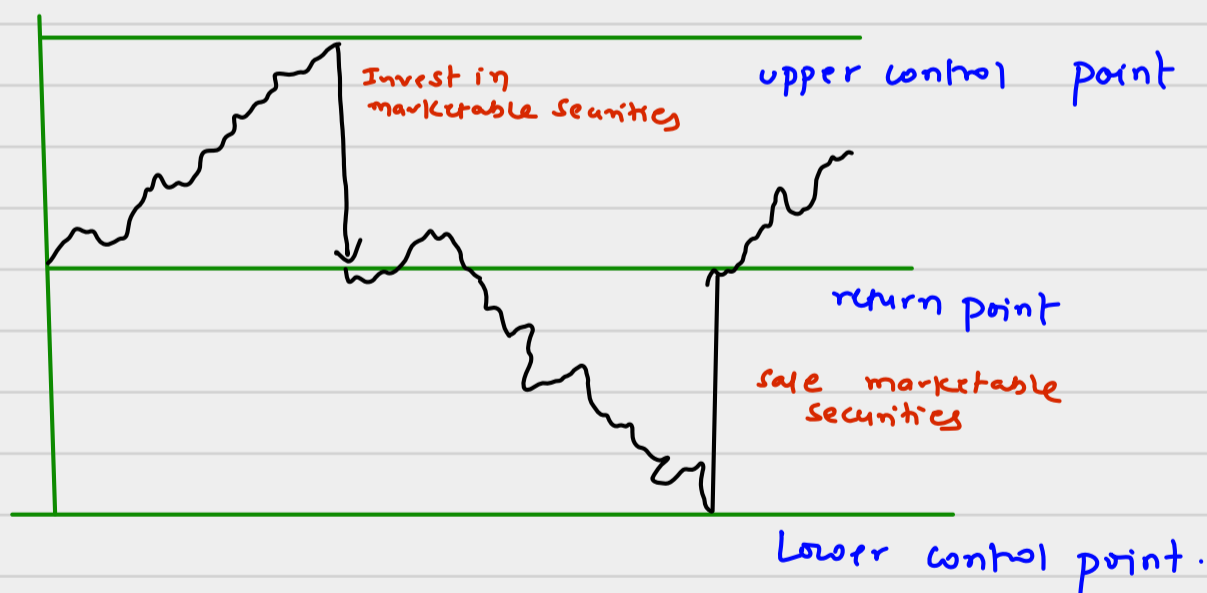
$$\text{optimum cash balance} = \sqrt{\frac{2AT}{i}}$$

A = Annual cash requirement

T = Transaction cost per transaction (withdrawal)

i = Interest cost (Carrying cost per rupee p.a.)

3. Miller-Orr Cash Management



Lower limit = management perception.

Upper limit = lower limit + Spread

Return point = lower point + $\frac{1}{3}$ x Spread

$$\text{Spread} = 3 \times \left(\frac{\frac{3}{4} \times \text{transaction cost} \times \text{variance of CF}}{\text{Interest Rate}} \right)^{\frac{1}{3}}$$

